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August 1, 2014

Abstract

As a measure of labor market strength, the raw Employment-to-Population ratio (*EPOP*) confounds employment outcomes with labor supply behavior. Movement in the *EPOP* depends on the relative movements of the employment rate (one minus the unemployment rate) and the labor force participation rate. This paper proposes an adjustment to the calculation of the *EPOP*, using individual micro data to account for both individual characteristics and the probability of labor force participation, which can used to assess the strength of the labor market.

Adjusted Employment-to-Population Ratio as an Indicator of Labor Market Strength

I. Introduction

In conjunction with the number of new payroll jobs generated, the unemployment rate
(*UR*) is eagerly anticipated each month as arguably the most important measure of the strength of
the labor market. The *UR* indicates what percent of the labor force (those who want jobs) is
unable to find a job. In a strong labor market, the *UR* declines, suggesting movement toward full
employment. Even the Federal Reserve, in pursuit of its dual mandate of stable prices and
maximum employment, relies heavily on the *UR* as an indicator of movement toward maximum
employment. Use of the *UR* acknowledges that a sustainable notion of maximum employment
has to somehow take into account the willingness of individuals to work.

In the post-Great Recession economy, however, there have been calls to pay closer
attention to the movement in the employment-to-population ratio (*EPOP*), as opposed to the *UR*,
as a measure of labor market strength.[1] As can be seen in Figure 1, which of these statistics one
focused on was a nonissue prior to the Great Recession—the *EPOP* and the *UR* moved in almost
perfect (inverse) lockstep with each other. Since the end of the Great Recession, however, there
appears to be a disconnect; the *UR* has fallen dramatically, indicating a strengthening of the labor
market, but the *EPOP* has barely budged, suggesting to some that the *UR* is no longer a useful
indicator of labor market strength. The purpose of this paper is not to argue for the use of the *UR*
over *EPOP* as an indicator of labor market strength, but rather, propose a methodology for
adjusting the *EPOP* in a way that accounts for individual willingness to work. The unadjusted

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[1] See Bivens (2014), Shierholz (2014), Lazear (2013), Albanesi et al. (2012), and Trasci and
Mowry (2009). An alternate view of the usefulness of *EPOP* as an indicator of labor market
strength after the Great Recession is offered by Kapan and Tracy (2014).

EPOP may still be preferred when assessing resource utilization of the nation's human capital.[2] But as a measure of labor market strength, the adjusted *EPOP* provides a more accurate picture.

[Figure 1 here]

II. The EPOP Decomposed

As a raw statistic, the *EPOP* reflects the percent of the total population (*POP*) (or some segment of the population of interest) that is employed (*E*). The *EPOP* can also be expressed as the product of the employment rate (*ER*, or one minus the unemployment rate) and the labor force participation rate (*LFPR*), which is the total labor force (*LF*) divided by the population:

$$EPOP_t = \frac{E_t}{POP_t} = \frac{E_t}{LF_t} \times \frac{LF_t}{POP_t} = ER_t \times LFPR_t.^3 \tag{1}$$

The direction and relative movements of *ER* and *LFPR* will dictate in what direction the *EPOP* will move. This decomposition makes it clear that movements in the *EPOP* can be driven by movements in the *LFPR*, rather than by movements in the *ER*.

In order to be employed, one must want/seek a job. Ignoring changes in labor force participation (stemming either from changes in demographics or changes in behavior) biases the *EPOP* as a measure of labor market strength. In other words, the probability of anyone in the population having a job is not the statistic of interest for determining labor market strength, but rather, the probability of anyone in the population *who wants a job* is. That's the appeal of the *UR*—it indicates the share of those who want jobs who are unable to find one. This paper proposes a methodology to adjust the probability of employment within the population by the probability of being a labor force participant (wanting a job) in order to obtain an adjustment to

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[2] Discussion of the usefulness of the *EPOP* as a measure of labor utilization can be found in Robertson (2014).
[3] See McCarthy and Potter (2012) for how the pieces of this decomposed *EPOP* have evolved over previous recessions and recoveries.

the *EPOP* with which to assess labor market strength. Relying merely on the raw *EPOP* confounds movement in the probability of employment with movements in labor force participation.

Movement in the adjusted *EPOP* proposed here closely follows movement in the employment rate (*ER*), since the *ER* conditions the employment outcome (through selection) on labor force participation. The advantage of modeling movement in the *EPOP*, as opposed to modeling movement in the *ER*, is the ability to disentangle movements in individual demographics and labor supply behavior from employment outcomes at the population level (not merely among those in the labor force).[4] The analysis doesn't tell us anything we didn't already know from the decomposition above—the stagnation in the *EPOP* since the Great Recession results from labor force participation falling at the same rate as the employment rate is rising. However, the adjusted *EPOP* does give us a measure of labor market strength stripped of confounding labor supply decisions that suggests employment probabilities are back up to prerecession levels.

II. Modeling *EPOP*

The basic strategy of modeling *EPOP* so that it can be used as an indicator of labor market strength is to estimate individual probability of employment as a function of month/year indicators, then to enhance the model, first with individual characteristics and then with the individual's propensity to be in the labor force. The coefficients on the month/year indicators

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[4] Using appropriate statistical corrections for selection into the labor market (e.g., Heckman 1979), one can generate a population estimate from modeling the *ER*. In addition, one could think about modeling *EPOP* as a problem of censored data (independent variables are observed for all observations, but the dependent variable, employment, is only observed for those in the labor force), whereas modeling *ER* can be thought of as a problem of truncated data (both independent and dependent variables are only observed for those in the labor force).

from the unadjusted model closely fit the raw *EPOP* statistic. However, these coefficients, as indicators of population employment outcomes, or labor market strength, can be viewed as suffering from omitted variable bias, as all of the individual characteristics and the individual's probability of labor force participation remain in the error term and are arguably significantly correlated with the month/year indicators of *EPOP*.[5] After describing the data used for the analysis, details of the modeling process will be presented.

A. The Data

The monthly Current Population Survey (CPS) from November 1999 through December 2013 is used to obtain demographic and labor market information related to the civilian noninstitutional 16-years-and-older population in the United States. Roughly 60,000 households are interviewed each month and provide information about labor market (and other) activity during the week that includes the 12th of the month. Responses to this survey are used by the U.S. Bureau of Labor Statistics (BLS) to report the national employment situation for households, including the official *UR*, each month. Using the basic population weight, these national statistics can be replicated fairly accurately.[6]

Figure 2 illustrates the *EPOP*, the *UR*, and the labor force participation rate (*LFPR*) reported by the BLS each month from November 1999 through December 2013, along with the same series constructed using the weighted monthly CPS survey data that are used for the analysis in this paper. Figure 2 illustrates that we are able to replicate the officially reported series very closely.

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[5] Indeed, in his seminal solution for obtaining population estimates from a selected sample, Heckman (1979) frames the problem as one of omitted variable bias.

[6] Concerns have been raised about the accuracy of responses to questions in the CPS used to classify a person's labor market status (see Kudlyak and Lange 2014). All the analysis in this paper assumes that an individual's labor market status is accurately recorded.

B. The Basic Model

The *EPOP* in any given month is merely the average number of people in the population who are employed. This differs from the *UR*, or the employment rate (*ER*), in that the denominator in the calculation is the population, rather than the labor force. In other words, the *EPOP* in time period *t* for a population of size N_{pop} is simply calculated as follows:

$$EPOP_t = \frac{1}{N_{pop}} \sum_{i=1}^{N_{pop}} EMP_{it}, \tag{2}$$

where $EMP_{it}=1$ if person *i* is employed at time *t*, 0 otherwise. *EPOP* can be thought of as the average joint probability of employment and labor force participation within the population. It is the joint probability because observing someone as employed necessarily requires that a person has first decided he or she wants a job (i.e., is in the labor force).

The aggregate *EPOP* can also be generated in a regression framework by modeling individual (*i*) employment at time *t*, EMP_{it}, as a function of a set of month/year time indicators, my_t, as follows:[7]

$$EMP_{it} = \delta_1 + \sum_{t=2}^{T} \delta_t my_t + e_{it}. \tag{3}$$

Aggregate $EPOP_t$ is then constructed by adding $\hat{\delta}_t$, *t*=2 to T, to the raw, observed *EPOP* value for *t*=1. The result is depicted in Figure 3, panel (a); with some minor deviations, the estimated month/year indicator coefficients reflect the average of EMP_{it} in any given time period, which is simply the nonseasonally adjusted $EPOP_t$ (see equation 2).

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[7] The desire to deseasonalize individual employment outcomes means that estimating the employment equation via OLS as a linear probability model, as opposed to as a probit or logit, is preferred; the deseasonalized value of EMP_{it} takes on values other than zero and one. For additional advantages of linear probability estimation, generally, over probit or logit, see Angrist and Pischke 2009, pp. 197-8; Mroz and Zayats 2008; and Caudill 1988.

All estimations here are performed using the raw population weights provided by the CPS. As the population grows over time, this has the effect of weighting later observations more than earlier observations in a regression over time. Adjusting the weights so that they add up to the same number in each month has no appreciable effect on the results. The effect of doing this is illustrated in the Appendix.[8]

In order to remove seasonality from the dynamics of the *EPOP* construction, the raw individual employment data are transformed through a residual approach. In other words, the residuals obtained from first regressing the observed individual employment outcomes (EMP_{it}=0,1) on monthly indicators are used as the dependent variable in the linear employment probability model:

$$EMP\_R_{it} = \alpha + \sum_{t=2}^{T} \delta_t my_t + e_{it}.$$ (3')

The residual from regressing EMP_{it} on monthly indicators only is what is left over of the individual's probability of employment after removing monthly variation. The result of this deseasonalization approach can be seen in Figure 3, panel (b). The parameter coefficients still closely follow the actual, now seasonally adjusted, *EPOP* reported by the BLS.[9]

C. The Adjusted Model

Interpreting period estimates from equation (3') as indicators of labor market strength, or as employment probabilities rather than as joint employment/participation probabilities, requires that the error term is uncorrelated with the month/year indicators. Since each person in the population varies in characteristics that predictably either improve or hamper his/her probability of employment, and because a person's probability of employment is necessarily correlated with his/her labor force participation decision, the raw *EPOP* statistic (or EMP_R_{it} coefficients

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[8] The suggestion of this robustness check made by Patrick Higgins is gratefully acknowledged.
[9] The suggestion of this approach made by Chris Cunningham is gratefully acknowledged.

estimated using month/year indicators alone) suffers from omitted variable bias and will not

reflect the probability of employment for an individual in the population.[10] In other words, the

error term in equation (3') is more accurately expressed as follows:

$$e_{it} = \Omega' X_{it} + \gamma LFP_{it}^* + \varepsilon_{it}, \tag{4}$$

where X_{it} are individual characteristics, LFP_{it}^* is individual i's unobserved propensity to

participate in the labor market at time t, and ε_{it} is a random component uncorrelated with my_t

(or X_{it} or LFP_{it}^*).

If the correlation between the omitted variables in equation (4) and my_t is nonzero, then

δ_t (in equation 3') will be biased. More specifically, the stronger the correlation (which appears

to be relevant in the most recent time period), the greater the deviation of e_{it} from ε_{it}, and the

more biased will be δ_t. Through and since the Great Recession, the population has undergone

particularly dramatic changes in demographics and labor supply behavior (for example, see

Hotchkiss and Rios-Avila 2013 and Aaronson 2012), increasing the chances for bias in δ_t.

To be clear, if one wants an estimate of the joint probability of employment and labor

force participation, then $\hat{\delta}_t$ obtained from estimating equation (3) is unbiased. However, if one

wants an estimate of employment probability reflecting labor market strength, then the omitted

variables need to come out of the error term.[11]

Bringing observed characteristics (such as age and education) out of the error term is

straightforward; they are known and simply included as additional regressors in the estimating

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[10] Higgins (2014) illustrates the importance of controlling for demographics in assessing the
movement of the *EPOP*. See Wooldrige (2010: pp. 65-72) for a thorough treatment of omitted
variable bias.

[11] An alternative empirical approach would be to model employment and labor force
participation as a bivariate probit with selection (see Hotchkiss 2004), or as a Heckman (1979)
selection model (for the linear equivalent). This approach, however, is akin to modeling the
employment ratio (*ER*) (one minus the unemployment ratio), rather than *EPOP*.

equation. Controlling for an individual's unobserved propensity to be in the labor market is a little more complicated. Since LFP_{it}^* is unobserved, we need to construct a proxy. To do so, the following linear probability model is estimated:

$$LFP\_R_{it} = \beta + \sum_{t=2}^{T} \theta_t my_t + \Pi' X_{it} + \Gamma' Y_{it} + v_{it}, \tag{5}$$

where all terms are as defined above and LFP_R_{it} is seasonally adjusted (as described above, using the residual approach) observed individual labor force participation and Y_{it} are determinants of the individual's labor force participation decision that are not expected to affect the individual's employment outcome.

An exclusion variable (Y_{it}) is required in order to be able to identify the month/year (and X_{it}) coefficients in the employment equation. Typical candidates for such an exclusion variable in the determination of labor supply are the individual's number of children and nonlabor income. Both of these characteristics are theorized to affect one's reservation wage (minimum wage required to enter the labor force), but not to affect one's market wage, hence employment outcomes. Because of the limitations of the basic CPS Survey (monthly), we only have the individual's number of children available as an exclusion variable.[12] As a rough idea about the relative empirical importance of the number of children for labor force participation and employment outcomes, we calculated simple correlation coefficients (for those aged 18 to 54 due to the timing of raising a family and work life). The correlations between number of children and labor force participation and employment are -0.02 and -0.005, respectively. In addition, number of children is a significant determinant of labor force participation decisions (see estimation

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[12] It would be possible to match spouses in the monthly CPS in order to at least control for spouse's income, but in order to be useful, we are trying to keep the process as simple as possible while maintaining the integrity of the estimation. There is a control for marital status in the labor force participation equation, but it is also used as a regressor in the employment equation, as others have shown it to be important in the determination of market wage (e.g., see Hotchkiss and Moore 1999).

results in Table 1).

The predicted value of LFP_R_{it} is then included as an additional regressor in the employment equation:

$$EMP\_R_{it} = \alpha + \sum_{t=2}^{T} \delta_t my_t + \Omega' X_{it} + \gamma \widehat{LFP\_R}_{it} + \varepsilon_{it}. \tag{6}$$

The estimated δ_t coefficients obtained from equation (6) will be free from bias, subject to the assumptions stated above, and yield an adjusted calculation of the *EPOP* that does not confound the population average individual probability of employment with individual characteristics or individual probability of labor force participation.[13]

III. Estimation Results

Table 1 reports the estimated parameter coefficients from estimating equations (5) and (6). Comparing the parameter estimates in columns two and three illustrate how biased the parameter estimates in the employment equation are when an individual's labor force participation probability is not accounted for in the regression (i.e., left in the error term). For example, it's clear that the lower observed joint employment/LFP probability (column 3) among women is driven by the significantly lower probability of women to participate in the labor market. In addition, the higher observed probability of joint employment/LFP among Hispanics is being driven by their higher probability of participating in the labor force, *ceteris paribus*, and that participation behavior is driving much of the difference in employment/LFP outcomes across education groups. While not shown here, these same sorts of biases exist in the estimates of the month/year indicator coefficients when labor force participation is excluded from the

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[13] In order for $\widehat{LFP\_R}_{it}$ to be a consistent proxy for LFP^*_{it}, we must assume that $\widehat{LFP\_R}_{it}$ is redundant (or ignorable) in the employment equation if we were able to include LFP^*_{it}, and that once the proxy is controlled for, my_t are no longer correlated with LFP^*_{it}; in other words, $Corr[my_t, v_{it}] = 0$.

employment equation. The importance of the labor force participation decision in the employment outcome is also seen in the estimated coefficient on $\widehat{LFP\_R}_{it}$. That coefficient tells us that a 0.10 percentage point increase in a person's likelihood of participating in the labor market increases his/her probability of employment by 0.14 percentage points—this "multiplier" effect of the decision to be in the labor force reflects the fact that being in the labor force is a necessary condition to being employed.

[Table 1 here]

A. Adjusted vs. Observed *EPOP*

The implication for removing the omitted variable bias from the coefficient estimates on the month/year indicators can be seen in Figure 4, which plots the month/year coefficients from estimating equation (3') (the solid black line), which, recall, matches the actual *EPOP* statistic reported by the BLS; the month/year coefficients from estimating equation (6), excluding $\widehat{LFP\_R}_{it}$ (the solid gray line); and the month/year coefficients from estimating the fully specified equation (6) (the black dashed line). All three sets of coefficients are anchored at December 2007, the peak of the previous business cycle (i.e., the month/year indicator excluded from the estimation corresponds to December 2007).

[Figure 4 here]

Note that when the probability of labor force participation is excluded from the estimation of the joint employment/LFP outcome, relatively low probabilities of labor force participation in any given month/year (i.e., $Corr[my_t, e_{it}] < 0$ in equation 3') will pull down employment, biasing that coefficient, $\hat{\delta}_t$, as an indicator of the average *employment* outcome, downward. Removing the confounding influence of the probability of labor force participation reveals that the population employment probability (adjusted *EPOP*) has risen to its prerecession level of 62.8

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percent. Note that inclusion of the probability of labor force participation has a greater influence on the estimated month/year coefficients than merely including controls for demographics. This suggests that individual behavior changed more dramatically over this time period than did demographics of those participating in the labor force.[14]

Figure 5 compares this adjusted *EPOP* to the movement in the *ER* (one minus *UR*), illustrating what we already knew—the stagnation observed in the *EPOP* derives from the ongoing declines in labor supply behavior. However, without the adjusted *EPOP*, it was unclear how much of that stagnation resulted from labor supply behavior and how much derived from a weak labor market. Figures 4 and 5 tell us that pretty much all of the stagnation in EPOP is the result of changing labor supply. Also, note that the adjusted *EPOP* does not merely replicate the movement in the *ER*—the fall in the *ER* prior to the 2001 recession is steeper and deeper than the fall in the adjusted *EPOP*, and the rise in the *ER* post-Great Recession is (slightly) steeper than the rise in the adjusted *EPOP*.

[Figure 5 here]

B. Adjusted *EPOP* by Age and Education

While on average the population may have achieved its prerecession probability of employment, there may be some heterogeneity in experience by characteristics, such as age and education. The analysis above was repeated for three age groups (16–24, 25–54, and 55+) and two education groups, those with a high school degree only and those with at least a college degree. While there are some relatively minor differences in experience, all groups compared have either regained all of their loss in employment probability or nearly regained all of their loss.

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[14] An analogous estimation (not shown here, but available upon request) of the employment rate (*ER*), which reflects employment outcomes conditional on labor force participation, shows that impact in Figure 4 of including demographics derives from changes in demographics of labor force participants, rather than changes in demographics of those who are employed.

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Figure 6 illustrates that not only did those with only a high school degree experience a greater loss in employment probability during the Great Recession than those with at least a college degree (3pp vs. 2pp), they also have not regained as much of their loss. High school grads have regained 41 percent of their employment probability loss whereas college graduates have regained 53 percent of their loss.

[Figure 6 here]

In spite of the dismal picture we might have of youth employment prospects (or, maybe, because of it, see, for example, Fogg and Harrington 2011 and Wirtz 2007), Figure 7 illustrates that those aged between 16 and 24 have regained more of their steep drop in employment probability experienced during the Great Recession than those aged 25 to 54 or those 55 and older. The youth have regained 144 percent of their drop, whereas 25- to 54-year-olds and those 55 and older have regained 71 percent and 46 percent of their losses, respectively.

[Figure 7 here]

IV. Conclusions

There is likely universal agreement that the most important measure of a strong labor market is employment growth. But how much employment growth is sustainable and necessary for attaining maximum employment? By focusing on the raw employment-to-population ratio (*EPOP*), some appear to be arguing that the strength of employment growth should be gauged by whether some undefined share of the population is employed; this leaves open the question of what that share should be—anyone in the population group, or anyone in the population group who wants a job (labor force participants)?

This paper proposes a methodology for adjusting the *EPOP* to account for labor force participation decisions. The adjusted *EPOP* offers a measure of employment outcomes, unconfounded by labor supply behavior. The adjusted *EPOP* presented here confirms what we already knew—that the stagnation of the *EPOP* since the end of the Great Recession is the result of continued declines in the labor force participation rate. However, by stripping the *EPOP* of confounding changes in labor supply we uncover a story that is more consistent with what movements in the UR rate have been telling us—the adjusted *EPOP* has regained its prerecession level of nearly 63 percent. Youth have regained even more, and those 25 to 54 regained 71 percent of their loss over the sample period. As a point of reference, by the end of 2013 the *UR* had recovered roughly 66 percent of the climb to its peak of 10 percent.

Of course, there remains the issue of declining labor force participation. This is a legitimate but different concern than whether the labor market is providing enough jobs.[15] As fewer people want to participate in the labor market, or as population growth slows, the economy potentially runs into problems fueling desired economic growth.[16] In addition, the question of underemployment has been raised. Whereas the adjusted *EPOP* (and *UR* for that matter) treats all jobs the same, the elevated level of workers who are employed part-time but would like a full-time job (i.e., part-time for economic reasons) reminds us that not all jobs are created equal. In other words, if all workers were involuntarily part-time employed, the resulting adjusted *EPOP* of 100 percent would be masking a significant underutilization of human resources (for example, see Altig 2014, Robertson 2014, and Valletta and Bengali 2013).

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[15] There has been much discussion about cyclical versus structural changes in the *LFPR* and the implications of those changes for assessing labor market strength and labor utilization. For example, see Pitts et al. (2014), Hotchkiss and Rios-Avila (2013), Altig (2012), Aaronson et al. (2012), Anderson (2012), and Harley (2011).
[16] See Matheny (2009) for how trend growth in labor force participation contributes to estimates of potential GDP growth.

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Figure 1 The Unemployment Rate and Employment-to-Population Ratio, Jan. 1970–March 2014.
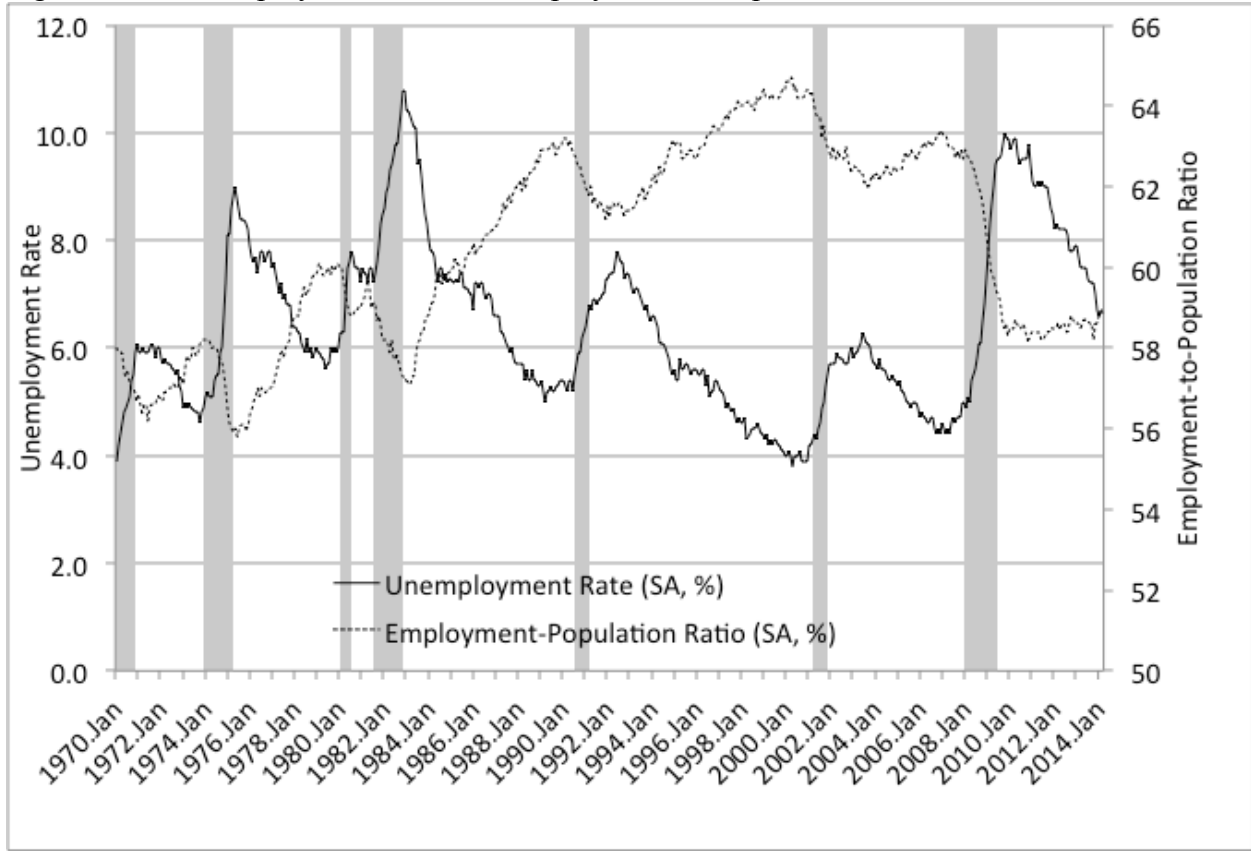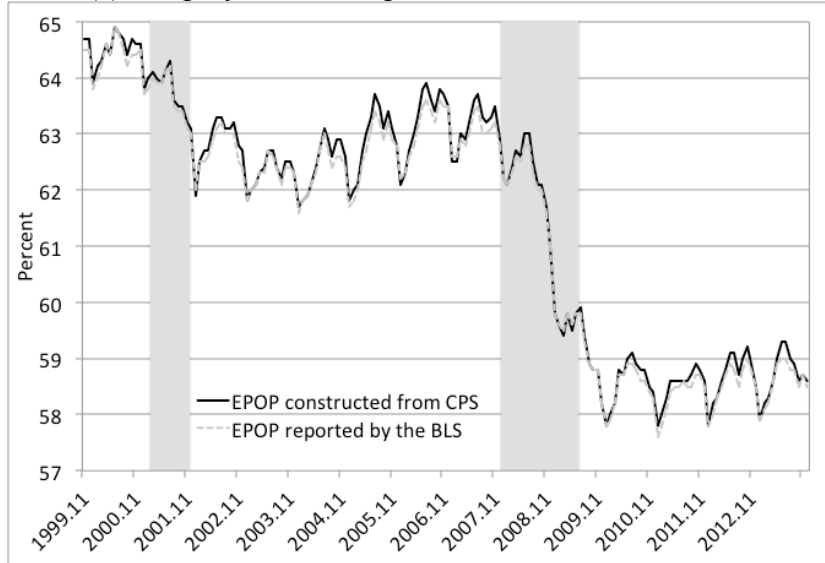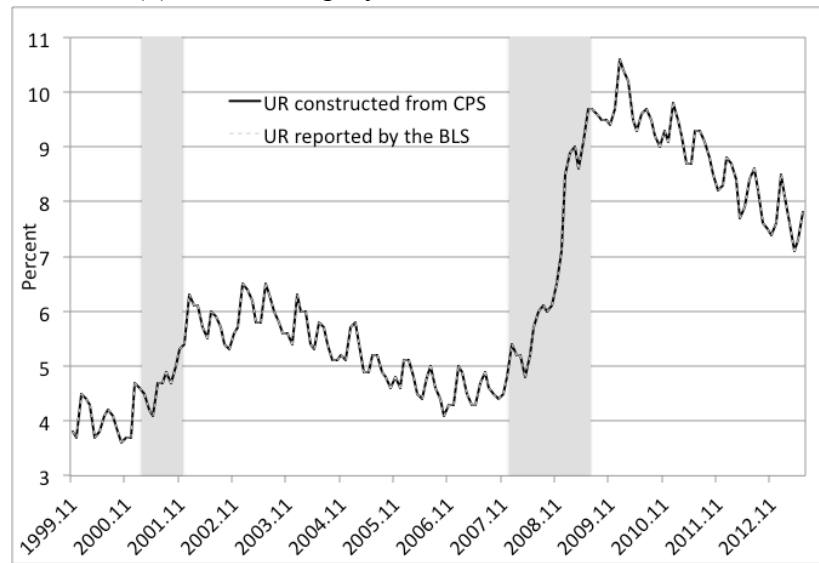

Note: Gray bars reflect recessionary periods.
Sources: U.S. Bureau of Labor Statistics, Current Population Survey.

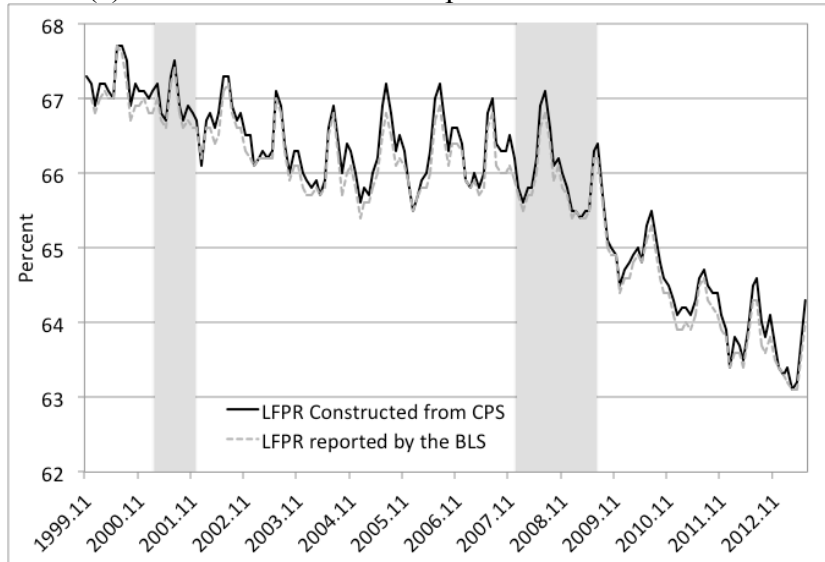Figure 2 Comparing CPS Survey Data with Official BLS Reported Statistics, November 1999 through December 2013.

Panel (a): Employment-to-Population Ratio
Panel (b): The Unemployment Rate


Panel (c): The Labor Force Participation Rate

Note: Gray bars reflect recessionary periods. November 1999 is the first month used for the analysis in this paper since it is the first month in which an important regressor need for estimation is available.
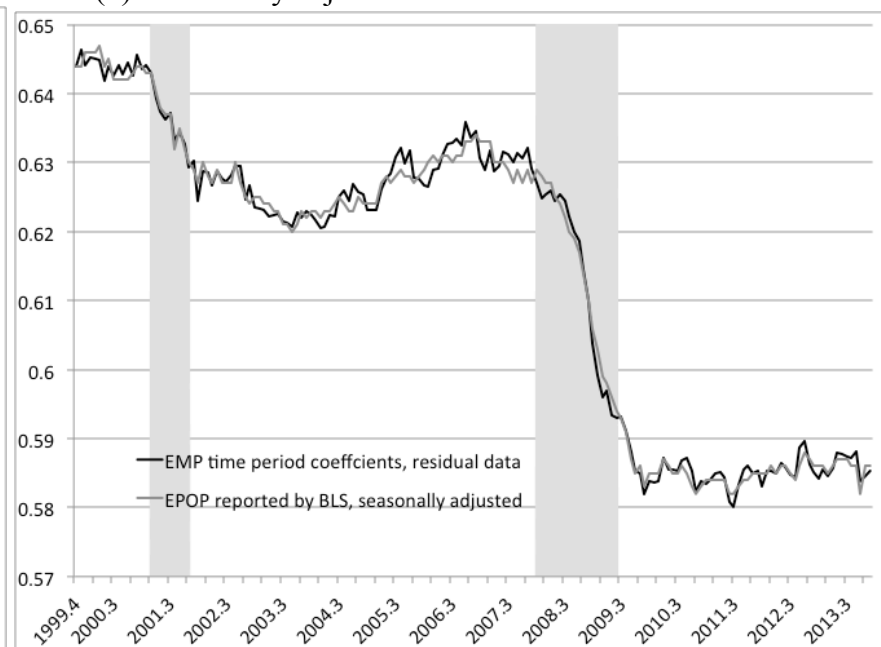
Sources: U.S. Bureau of Labor Statistics and author's calculations using the Current Population Survey

Figure 3 Estimated Coefficients from Month/Year Indicators in a Linear Employment Probability Regression and the *EPOP* reported by the BLS, November 1999 through December 2013.
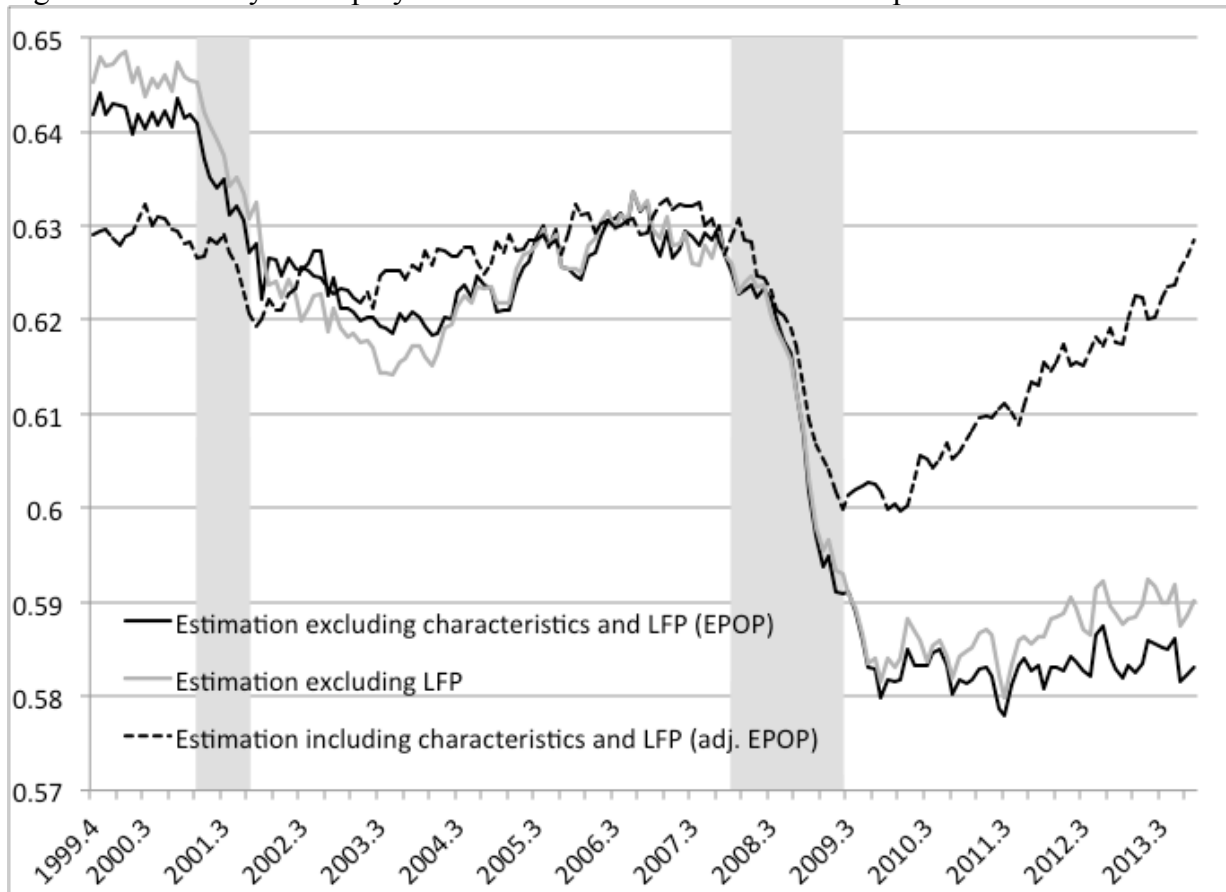
Panel (a): Nonseasonally adjusted
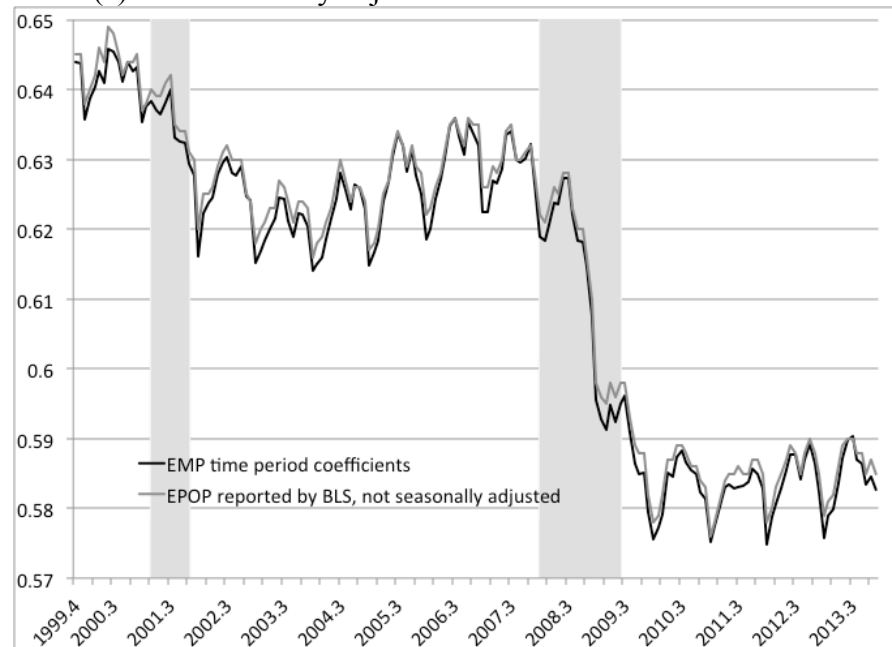
Panel (b): Seasonally adjusted

Note: Gray bars reflect recessionary periods.
Sources: U.S. Bureau of Labor Statistics and author's calculations using the Current Population Survey.
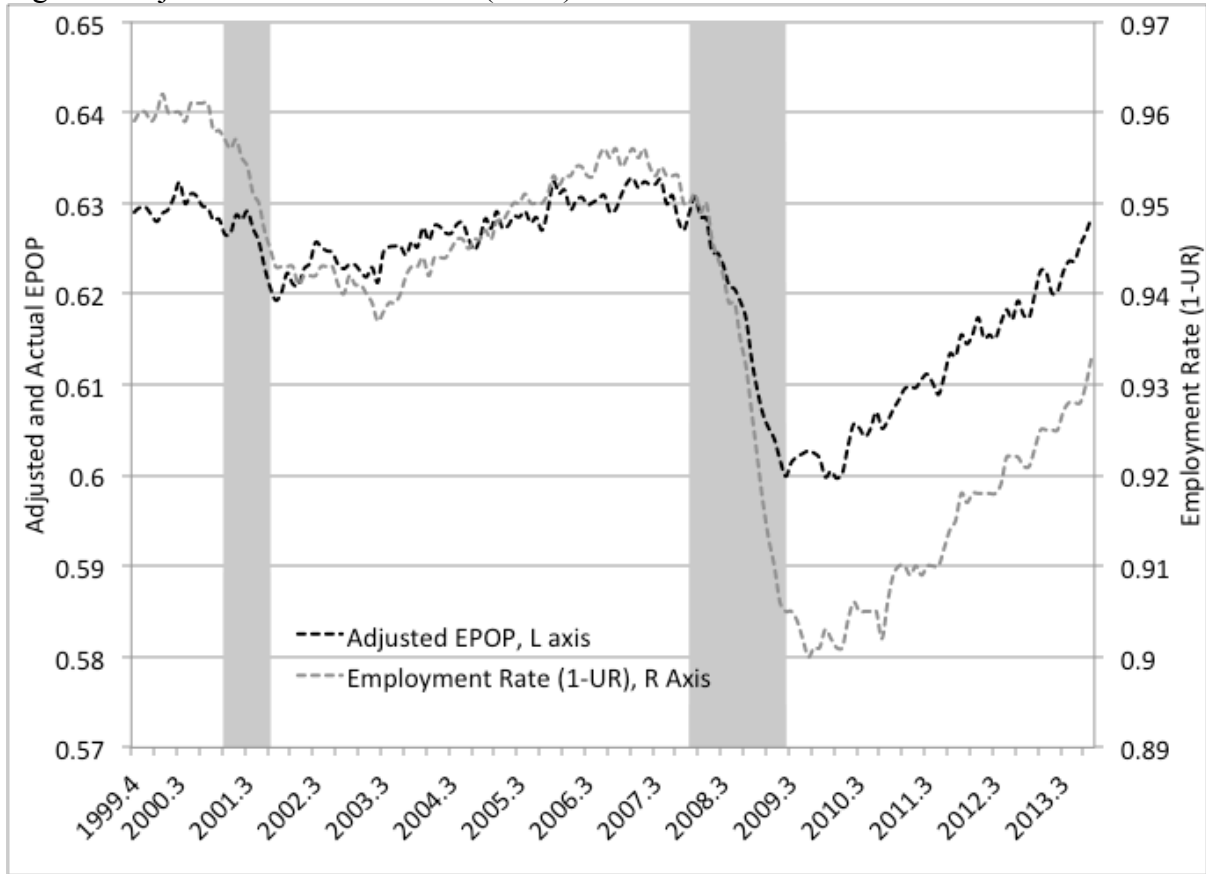
Figure 4 Probability of Employment Estimates for Different Model Specifications.

Notes: Population 16-plus years. Gray bars reflect recessionary periods. Point of reference (excluded month/quarter from estimation) is December 2007, the peak of the previous business cycle.
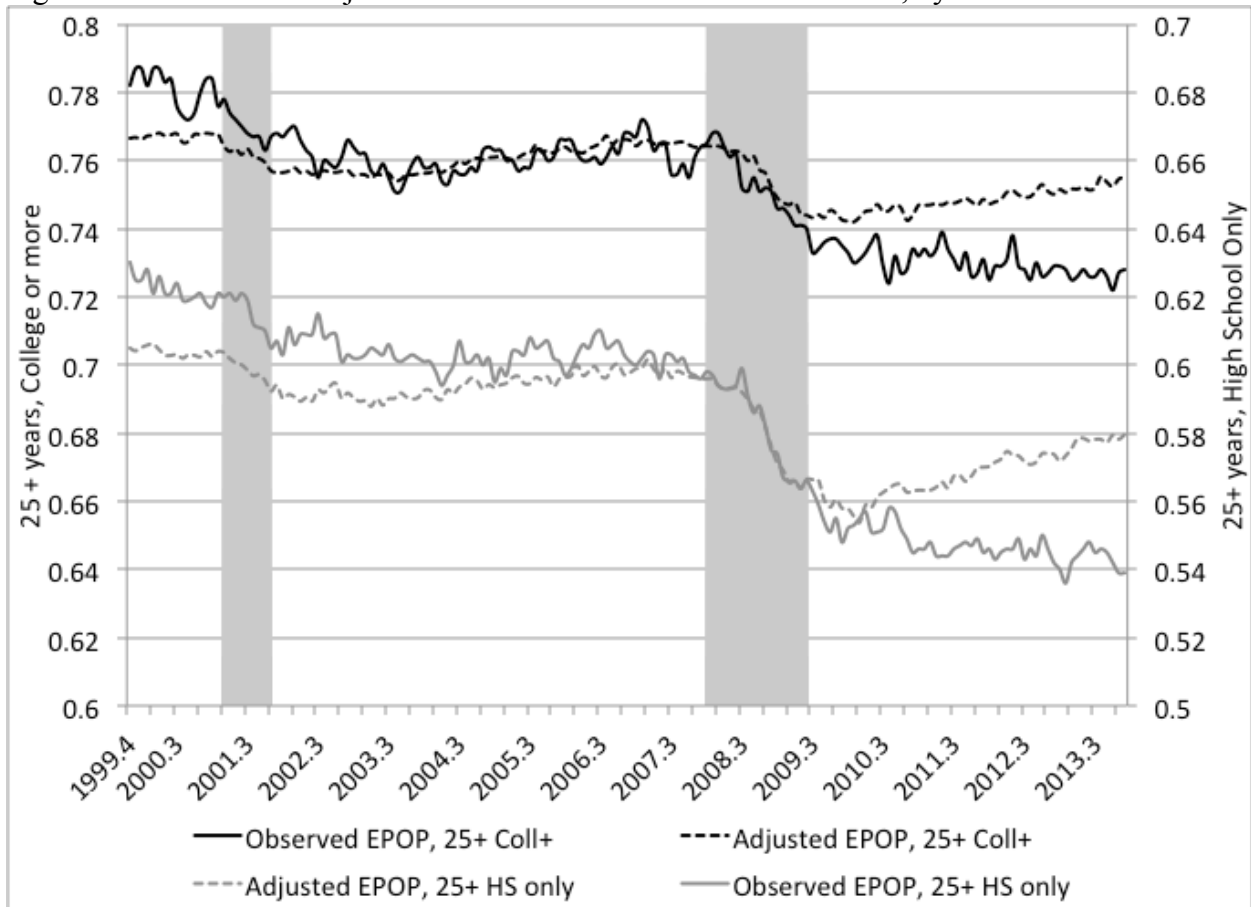Source: Author's calculations using the Current Population Survey.

Figure 5 Adjusted *EPOP* and the *ER* (1-*UR*).

Notes: Population 16-plus years. Gray bars reflect recessionary periods. Point of reference (excluded month/quarter from estimation) is December 2007, the peak of the previous business cycle.
Sources: U.S. Bureau of Labor Statistics and author's calculations using the Current Population Survey.

Figure 6 Observed and Adjusted *EPOP* for Those 25 Years and Older, by Education Level.
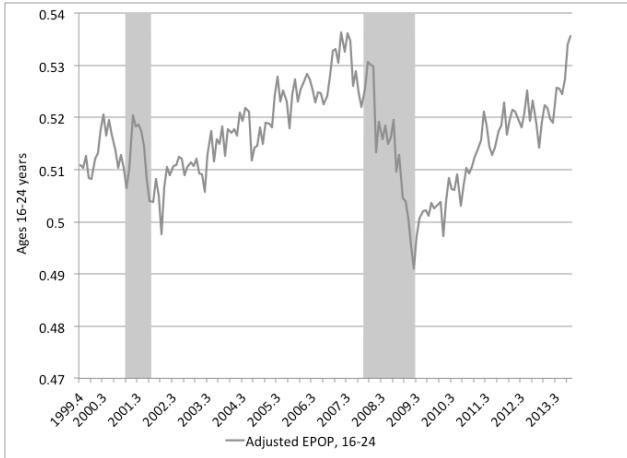

Notes: Gray bars reflect recessionary periods. Point of reference (excluded month/quarter from estimation) is December 2007, the peak of the previous business cycle.
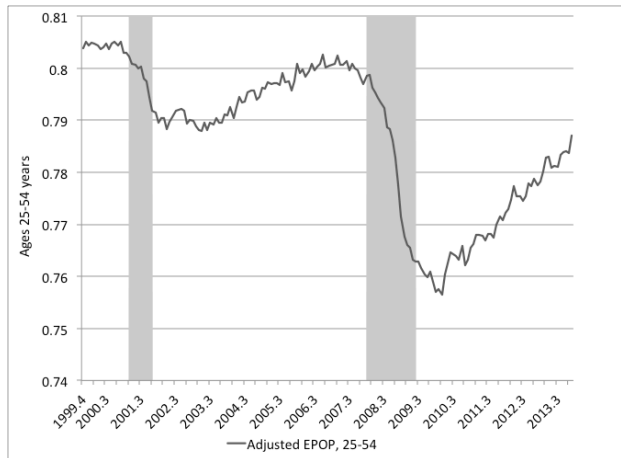Sources: U.S. Bureau of Labor Statistics and author's calculations using the Current Population Survey.

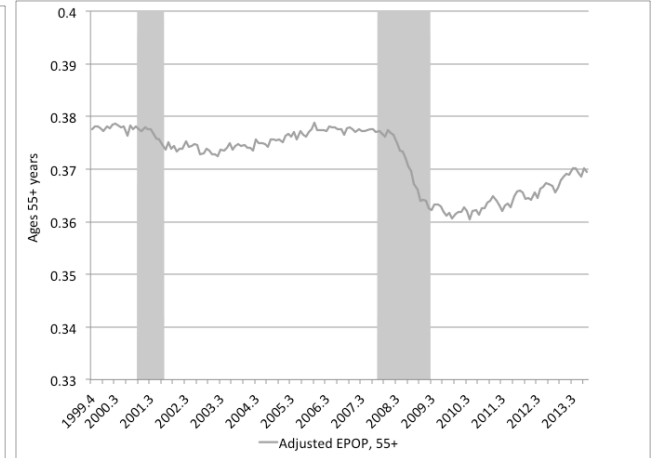Figure 7 Adjusted *EPOP* by Different Age Groups.

Panel (a): Ages 16–24

Panel (b): Ages 25–54

Panel (c): Ages 55+

Notes: Gray bars reflect recessionary periods. Point of reference (excluded month/quarter from estimation) is December 2007, the peak of the previous business cycle.

Source: Author's calculations using the Current Population Survey.

Table 1. Linear Probability Estimates from Two-Step Estimation of Labor Force Participation and Employment.

Regressors	LFP_R equation (5) (1)	EMP_R equation (6) (2)	EMP_R equation (6) excluding $\widehat{LFP\_R}_{it}$ (3)
age	0.0370***	-0.0152*	0.0370***
	(0.00004)	(0.0079)	(0.00004)
age2	-0.0005***	0.0002**	-0.0005***
	(0.0000003)	(0.0001)	(0.0000004)
female	-0.1136***	0.0585**	-0.1020***
	(0.0002)	(0.242)	(0.0002)
married_sp	-0.0091***	0.0237***	0.0102***
	(0.0003)	(0.0020)	(0.0003)
black	-0.0333***	-0.0138*	-0.0610***
	(0.0004)	(0.0071)	(0.0004)
othrace	-0.0480***	0.0184*	-0.0494***
	(0.0005)	(0.0102)	(0.0005)
hispanic	0.0237***	-0.0151***	0.0182***
	(0.0004)	(0.0050)	(0.0004)
hs	0.1492***	-0.0602*	0.1505***
	(0.0004)	(0.0318)	(0.0004)
scoll	0.1850***	-0.0634	0.1979***
	(0.0004)	(0.0394)	(0.0004)
ba	0.2324***	-0.0748	0.2535***
	(0.0004)	(0.0495)	(0.0004)
grad	0.2628***	-0.0839	0.2873***
	(0.0005)	(0.0560)	(0.0005)
mw	0.0239***	-0.0136***	0.0201***
	(0.0003)	(0.0051)	(0.0003)
south	-0.0035***	0.0043***	-0.0006*
	(0.0003)	(0.0008)	(0.0003)
west	-0.0044***	-0.0047***	-0.0109***
	(0.0003)	(0.0010)	(0.0004)
chldnm	-0.0006***	--	--
	(0.0001)		
lfp_res_hat	--	1.4124***	--
		(0.2130)	
_cons	-0.6312***	0.2236*	-0.6677***
	(0.0016)	(0.1344)	(0.0017)
N (unwieghted)	17,733,495	17,733,495	17,733,495
Adjusted R2	0.2951	0.2647	0.2647

Notes: *** indicates significant at the 1% level; ** 5%; * 10%. Robust standard errors are in parentheses. Sample contains individuals aged 16+. Dec. 2007 is omitted.

Appendix: Adjusting Weights to Account for Population Growth

When using population weights in a regression over time, later time periods are weighted more heavily than earlier time periods, simply because of population growth. In order to see whether this influences the results in this paper, the analysis was performed again with weights adjusted so that they sum to the same value in each month. Figure A1 illustrates that doing this has no appreciable impact on the results—the gray dashed line (using adjusted weights) is very close to the black dashed lines (using raw weights).

Figure A1 Probability of Employment Estimates Using Raw Population Weights and Weights Adjusted for Population Growth
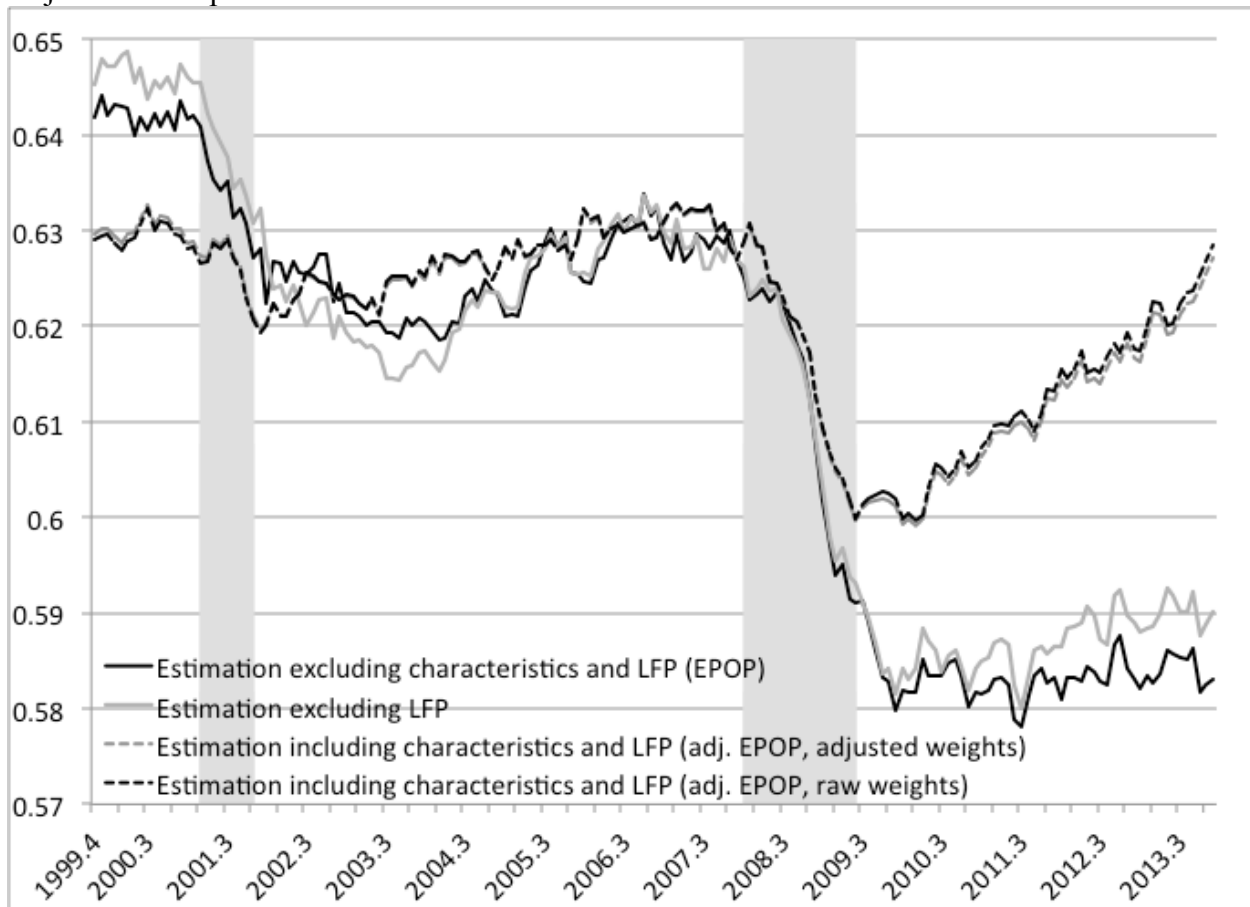
Note: See Chart 4 in text.
Sources: U.S. Bureau of Labor Statistics and author's calculations using the Current Population Survey.